

- For the previous example

1.2345×10^{15} \rightarrow $1.2345 e 15$ (single, not what we want to do)

\rightarrow $1.2345 d 15$ (correct double precision)

6.432×10^{-8} \rightarrow $6.432 e - 8$ (single, not correct)

\rightarrow $6.432 d - 8$ (double, correct)

IF the constant has digits after the decimal point, you need to use the 'd' descriptor to properly assign a double precision value

Examples

incorrect

$a = 6.92$

$b = 0.0032$

correct

$a = 6.92 d \emptyset$

$b = 0.0032 d \emptyset$ or

$3.2 d - 3$

except for powers (sometimes)

Mixed Mode Calculations

- Assume i, j, k have been declared INTEGER. What is the result of the assignments

$i = 1.2$

$j = -3.8$

• Since i and j are integers, they can't have decimal parts. The result will be stored as

$i = 1$

$j = -3$

(ie, fractional parts are truncated)

- what value would be assigned to k if we do

$$i = 1$$

$$j = 2$$

$$k = i / j$$

$$\boxed{k = 0} \text{ (more exactly, } k \text{ is an integer 0)}$$

This is an example of integer division. The quotient of 2 integers is also an integer. This is a consequence of the general rule that

if a, b have the same type, then
 $a \text{ } \odot \text{ } b$ where $\odot = +, -, *, /$
 has the same type as a and b

(Nearly) all programming languages follow this rule.

- IF i, j, k, l have been declared to be integers, what is the result of

$$i = 1$$

$$j = 2$$

$$k = 2$$

$$l = k * i / j$$

$$\boxed{l = 1} \quad \begin{aligned} k * i &= \text{int } 2 * \text{int } 1 = \text{int } 2 \\ k * i / j &= \text{int } 2 / \text{int } 2 = \text{int } 1 \end{aligned}$$

$$i = 1$$

$$j = 2$$

$$k = 2$$

$$l = k * (i / j)$$

$$\boxed{l = 0} \quad \begin{aligned} (i / j) &\text{ done first because of the } () \\ (i / j) &= 0 \\ k * (i / j) &= 0 \end{aligned}$$

- Mixed mode arithmetic refers to how calculations are performed when expressions involving variables of different types are evaluated

if a and b have different types, the result of $a \text{ OP } b$ is the higher type of a and b (here, a double is higher than an integer). The lower type is first promoted to the higher type before performing the OP

Example

Suppose i is an integer and a and b are doubles

$a = 1.0d0$

$i = 2$

$b = a / i$

before computing b , i is promoted to a double 2.

$b = \text{double} / \text{double} \rightarrow \text{double}$
 $= 0.5d0$

- when assigning variables with expressions, remember that the expression on the right is evaluated before doing the assignment

Example Suppose i, j are integers and a is double

$i = 1$

$j = 2$

$a = i / j \quad a = 0 \text{ (double)}$

First, the integer division i / j is done (result is an integer 0). Then this is promoted to a double 0 when doing the assignment.

- How would you do this "correctly", ie suppose you actually need a to be 1/2?

use the DBLE function to manually promote i, j or both

$$\begin{aligned}
 a &= \text{DBLE}(i)/j \\
 &= i/\text{DBLE}(j) \\
 &= \text{DBLE}(i)/\text{DBLE}(j)
 \end{aligned}$$

} all of these are equivalent and would give a = 1/2 in double precision.

Type conversion functions

INT(a) → converts a to an integer by dropping the fractional part (no rounding is done).

This can overflow if a is large

DBLE(i) → promotes i to a double

Example Suppose a, b, c are doubles
i, j, k are integers

What value would c have?

a = 1.0 do

b = 2.0 do

i = 2

j = 5

k = -2

(note: a = 1 also works because there are no digits after the decimal point
b = 2

$$c = a * (b/k) * (j/k) * i/j$$

$$b/k = \text{double/int} = -1 \text{ (double)}$$

$$j/k = \text{int/int} = 5/-2 = -2.5 = -2 \text{ (integer)}$$

$$\begin{aligned}
 c &= \frac{(\text{double } 1) \cdot (\text{double } -1) \cdot (\text{integer } -2) \cdot (\text{integer } 2)}{(\text{double } -1) \cdot (\text{integer } -2) \cdot (\text{integer } 5)} \\
 &= (\text{double } 2) \cdot (\text{integer } 2) / (\text{integer } 5) = (\text{double } 4) / (\text{integer } 5) = 0.8 \text{ double}
 \end{aligned}$$